

A Variational Approach to NWP Preprocessing and Quality Control

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Motivation



GDAS Analysis 23 GHz Emissivity and Tskin



Outline





- Physical algorithm (1DVAR) for microwave sensors (MiRS)
- MiRS applies to imagers, sounders, combination
- Cost to extend to new sensors greatly reduced
- MiRS uses the CRTM as forward operator (leverage)
- Applicable on all surfaces and in all-weather conditions
- Operational for N18, N19, Metop-A and F16/F18 SSMI/S

On-going / Future:

- Extension operations to Metop-B, NPP/ATMS and Megha-Tropiques (MADRAS and SAPHIR)
- Get ready for the JPSS and GPM sensors.
- Extend MiRS to Infrared Remote Sensing (CRTM is already valid)



The 1DVAR Algorithm



Climatology (Retrieval Mode)

Matrix B







NoData

OC fai

Preprocessor QC

- Convergence is reached everywhere: all surfaces, all weather conditions including precipitating, icy conditions
- A radiometric solution (whole state vector) is found even when precip/ice present. With CRTM physical constraints.

$$\rho^2 = (\mathbf{Y}^m - \mathbf{Y}(\mathbf{X}))^{\mathbf{I}} \times \mathbf{E}^{-1} \times (\mathbf{Y}^m - \mathbf{Y}(\mathbf{X}))$$

Previous version (1 attempt) (assume non-scattering atmosphere)

MIRS N18 EDR Chi Square 2008-04-02 Asc (V1071)



Current version (2 attempts) (assume scattering from precip)

MIRS N18 EDR Chi Square 2008-06-08 Asc (V1316)



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Preprocessor-CLW



Preprocessor-Emissivity



CPC Figures courtesy http://www.cpc.necp.noaa.gov

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SIATTON,

Assimilation Impact

MIRS N18 Liquid Water Path (mm) 2012-03-06 Des (V2921)





sing MiRS retrieved CLW



Assimilation Impact (O-B)



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Assimilation Impact (O-B)



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- MiRS is a generic retrieval/assimilation system (N18, N19, Metop-A, DMSP F16/18 SSMIS)
- In retrieval mode, MiRS can be used as an NWP (assimilation) preprocessor
- MiRS LWP has shown to produce reasonable O-B (improvement over using guess fields)
- Future work will include investigating the use of other QC metrics and retrieved fields to filter/parameterize DA
- For more detailed information about the MiRS project, visit: mirs.nesdis.noaa.gov (more validation data, publication list and software package)



BACKUP SLIDES



ATMS Impact Experiment





The 1DVAR Algorithm

Cost Function to Minimize:

 $J(X) = \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0)^T \times B^{-1} \times (X - X_0) \right\rfloor + \left\lfloor \frac{1}{2} (X - X_0) \right\rfloor + \left\lfloor$

• To find the optimal solution, solve for: $\partial X = y(x) =$

This leads to iterative solution:

$$\begin{cases} \mathbf{A}_{n+1} = \left\{ \mathbf{B}^{-1} + \mathbf{K}_{n}^{\mathsf{T}} \mathbf{E}^{-1} \mathbf{K}_{n} \right\}^{-1} \mathbf{K}_{n}^{\mathsf{T}} \mathbf{E}^{-1} \right\} \left[(\mathbf{Y}^{\mathsf{I}\mathsf{n}} - \mathbf{Y}(\mathbf{X}_{n})) + \mathbf{K}_{n} \mathbf{X}^{\mathsf{I}} \mathbf{n} \right] \\ \mathbf{X}_{n+1} = \left\{ \mathbf{B}^{\mathsf{K}}_{n}^{\mathsf{T}} \mathbf{K}_{n}^{\mathsf{T}} \mathbf{K}_{n}^{\mathsf{T}} + \mathbf{E} \right\}^{-1} \left[(\mathbf{Y}^{\mathsf{I}\mathsf{n}} - \mathbf{Y}(\mathbf{X}_{n}) + \mathbf{K}_{n} \mathbf{X}^{\mathsf{I}} \mathbf{n} \right] \end{cases}$$

More efficient (1 inversion)

Preferred when nChan << nParams (MW)