

# Infrared Continental surface emissivity spectra retrieved from hyperspectral sensors. Application to AIRS observations

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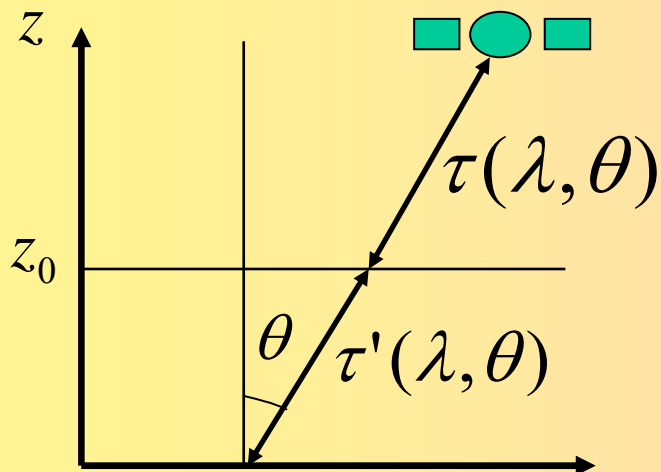


## Infrared RTE (lambertian surface, clear sky, night)

$$I(\lambda, \theta) = \boxed{\varepsilon_s(\lambda)\tau_s(\lambda, \theta)B(\lambda, T_s)} \quad \text{Surface Emission}$$

$$+ \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau(\lambda, \theta) \quad \text{Upwelling Atmosphere Emission}$$

$$+ (1 - \varepsilon_s(\lambda))\tau_s(\lambda, \theta) \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau'(\lambda, \theta) \quad \text{Reflected Downwelling Atmosphere Emission}$$



$$\tau'(\lambda, \theta)\tau(\lambda, \theta) = \tau_s(\lambda, \theta)$$

# Multi-spectral method

$$\varepsilon_s(\lambda) = \frac{I(\lambda, \theta) - \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau(\lambda, \theta) - \tau_s(\lambda, \theta) \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau'(\lambda, \theta)}{\tau_s(\lambda, \theta) \left\{ B(\lambda, T_s) - \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau'(\lambda, \theta) \right\}}$$

The formula holds only for **window channels**  $\tau_s(\lambda, \theta) \neq 0$

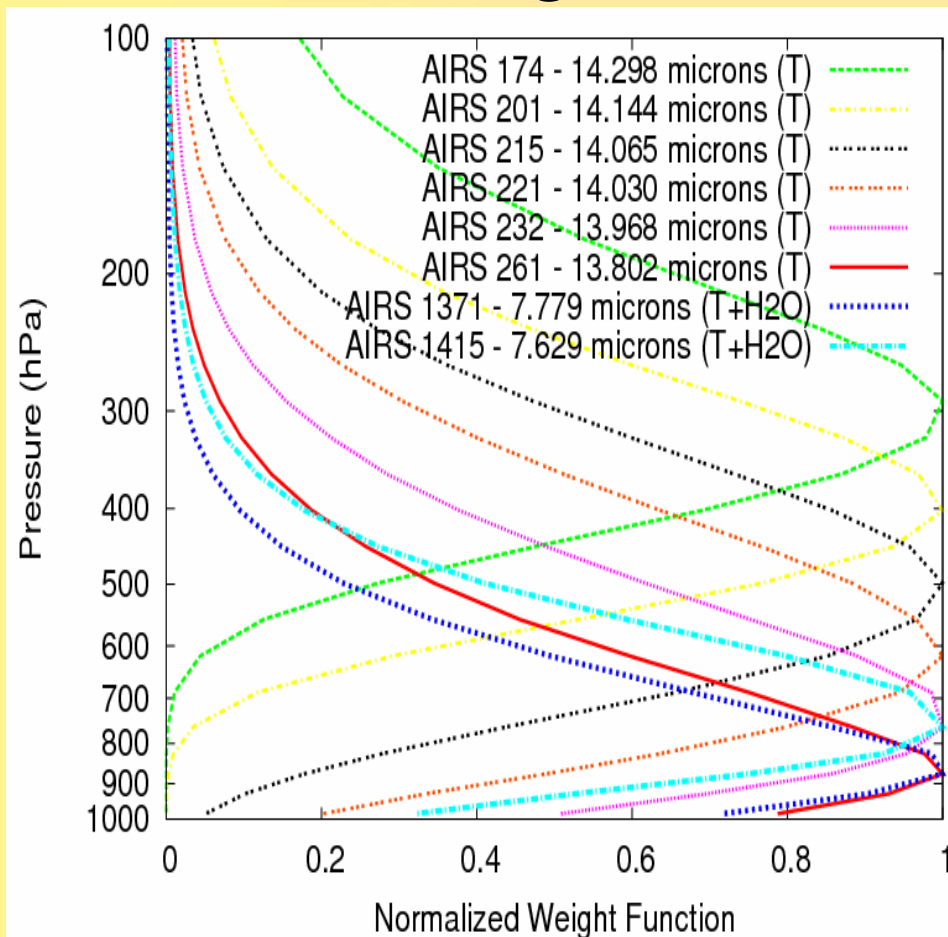
In order to calculate  $\varepsilon_s$  one needs:

- 1) identifying clear sky radiances (MODIS cloud mask)
- 2) knowing the thermodynamic state of the atmosphere (T, H<sub>2</sub>O, O<sub>3</sub> profiles)
- 3) estimating the surface skin temperature

# Atmospheric state: proximity recognition in BT

Mean of the closest atmospheric situations in TIGR (Thermodynamic Initial Guess Retrieval) climatological dataset (see <http://ara.lmd.polytechnique.fr/>)  
 $\Rightarrow T(p), H_2O(p), O_3(p)$

## Normalized Weight Functions



Selection of 11 inputs:

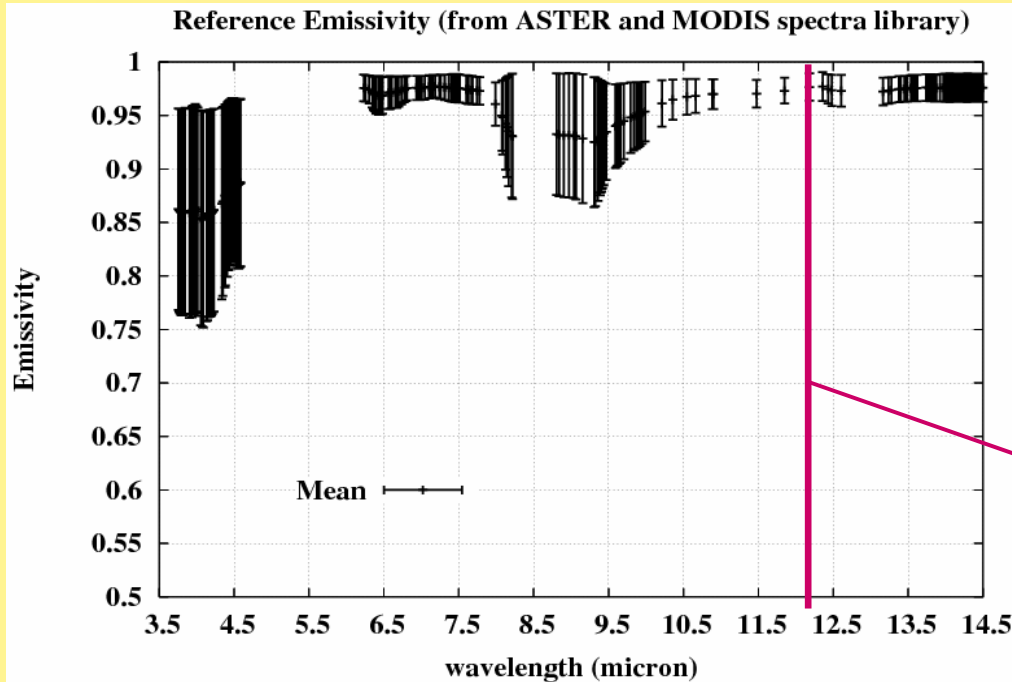
- 6 tropospheric sounding channels sensitive to T and H<sub>2</sub>O

- 5 differences of channels to constrain temperature and water vapor gradients

$$D = \sqrt{\sum_{i=1}^{11} \left( \frac{X_{BT_{obs}}(i) - X_{BT_{TIGR}}(i)}{\sigma_{X_{BT_{TIGR}}}(i)} \right)^2}$$

Approach validated on TIGR dataset

# Surface skin temperature: semi-transparent single channel method



Emissivity variability of 324 AIRS channels calculated from soil, water and vegetation emissivity spectra of MODIS/UCSB and ASTER/JPL libraries

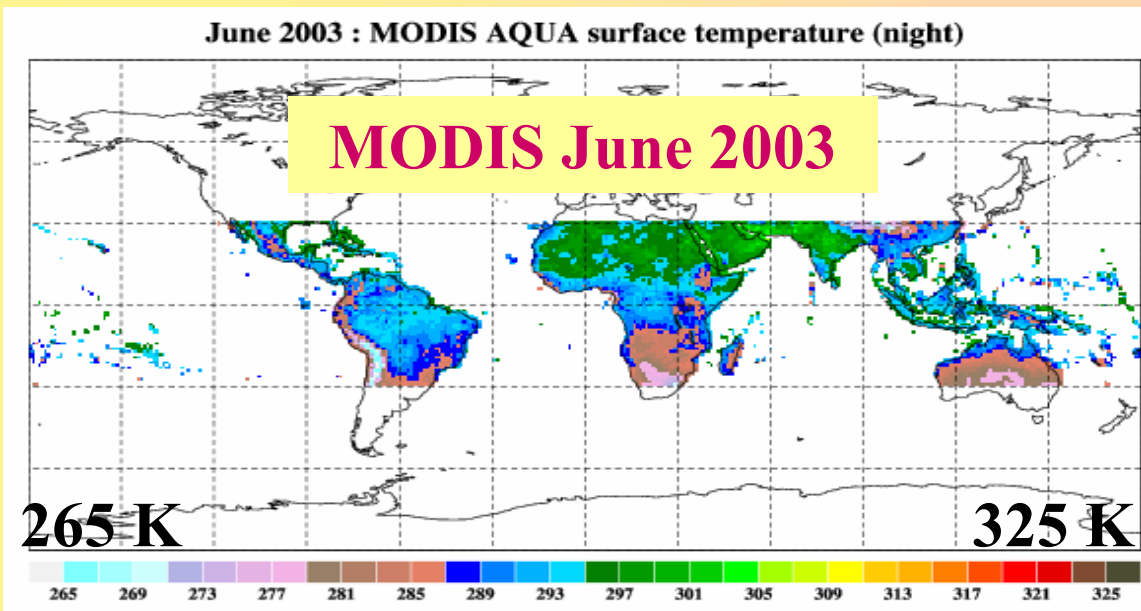
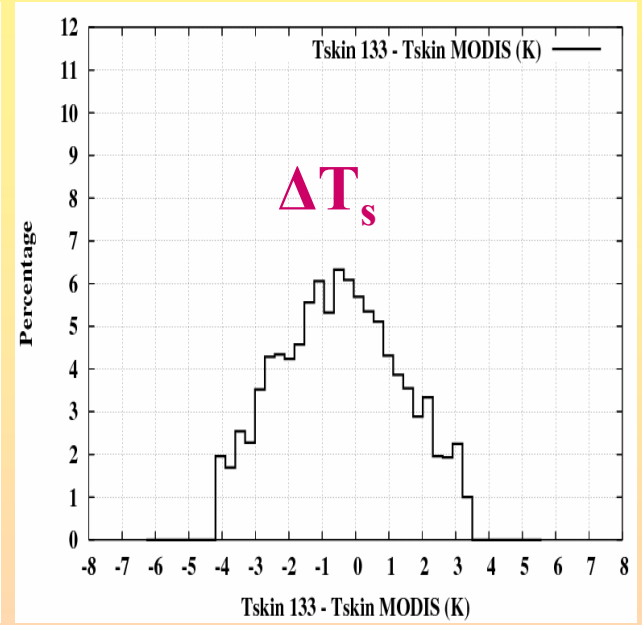
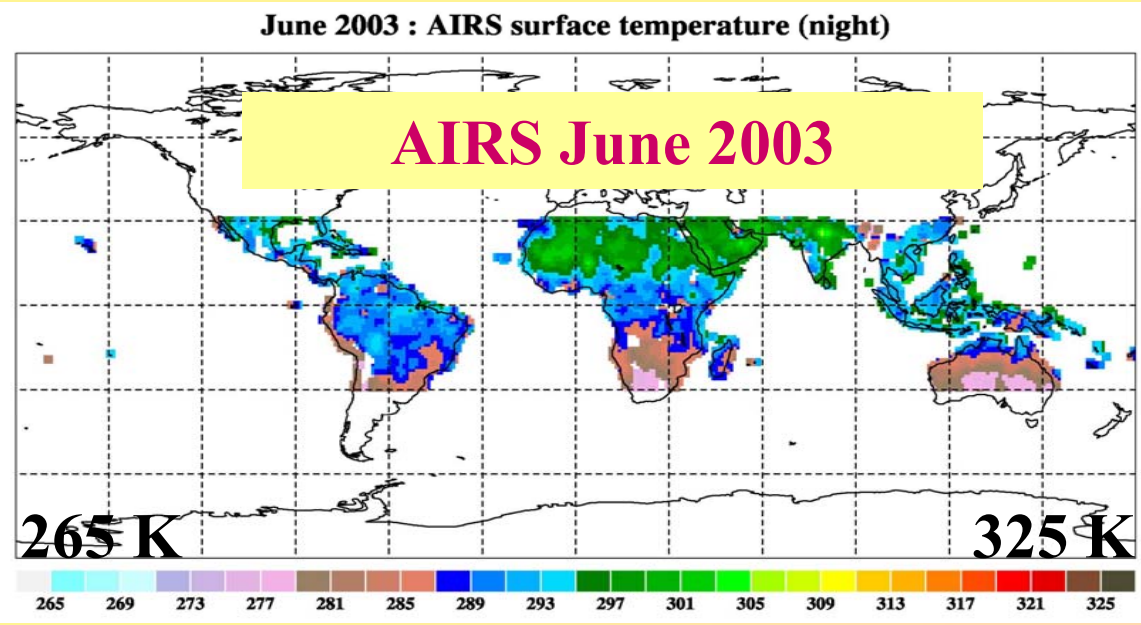
**AIRS channel 528 at  
12.183  $\mu\text{m}$**

**$\tau_s > 0.5$  and  $\varepsilon \sim 0.96$**

$$T_s = B^{-1} \left( \frac{I_{sat}(\lambda_0, \theta) - \int_{\tau_s(\lambda_0, \theta)}^1 B[\lambda_0, T(\tau(\lambda_0, \theta))] d\tau - (1 - \varepsilon_s(\lambda_0)) \tau_s(\lambda_0, \theta) \int_{\tau_s(\lambda_0, \theta)}^1 B[\lambda_0, T(\tau(\lambda_0, \theta))] dt'}{\varepsilon_s(\lambda_0) \tau_s(\lambda_0, \theta)} \right)$$

Right hand side determined from the closest atmospheric situation identified previously. Calculation are performed using 4A “line-by-line” code

# Comparison with MODIS Tskin (June 2003)



$$\mu = -0.46 \text{ K}$$

$$\sigma = 1.81 \text{ K}$$

Values coherent with presently reported accuracies

# Summary

$$\varepsilon_s(\lambda) = \frac{I_{\text{sat}}(\lambda, \theta) - \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau(\lambda, \theta) - \tau_s(\lambda, \theta) \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau'(\lambda, \theta)}{\tau_s(\lambda, \theta) \left\{ B(\lambda, T_s) - \int_{\tau_s(\lambda, \theta)}^0 B[\lambda, T] \partial \tau'(\lambda, \theta) \right\}}$$

In order to calculate  $\varepsilon_s$  one needs:

- 1) identifying clear sky radiances  $\longrightarrow$  MODIS Cloud mask
- 2) knowing the thermodynamic state of the atmosphere (T, H<sub>2</sub>O, O<sub>3</sub> profiles)  $\longrightarrow$  Proximity Recognition in TIGR
- 3) estimating the surface skin temperature  $\longrightarrow$  AIRS channel 528 at 12.183  $\mu\text{m}$

# Infrared Emissivity Spectrum from 3.7 to 14 $\mu\text{m}$

I)

1)  $\varepsilon(\lambda_{\text{AIRS}})$  calculated if (Péquignot et al., 2006):

$$\tau_s \geq 0.5$$

and

$$\left|EAF_{T_s}\right| \frac{\partial T_s}{T_s} + \left|EAF_{T_B}\right| \frac{\partial T_B}{T_B} \leq 3\%$$

Typically  $N_{\text{AIRS}} \sim 30 - 50$

2)  $\varepsilon$  is interpolated at  $\lambda_{\text{ref}}$  if  $\lambda_{\text{AIRS}}$  close to  $\lambda_{\text{ref}}$

Typically  $N \sim 25 - 40$

II)

MODIS/UCSB and ASTER/JPL very high resolution emissivity spectra libraries



170 representative samples of soils and vegetation undersampled at 0.05  $\mu\text{m}$  from 3.7 to 14  $\mu\text{m}$

$$\lambda_{\text{ref}} = [3.70, 3.75, \dots, 13.95, 14.0]$$

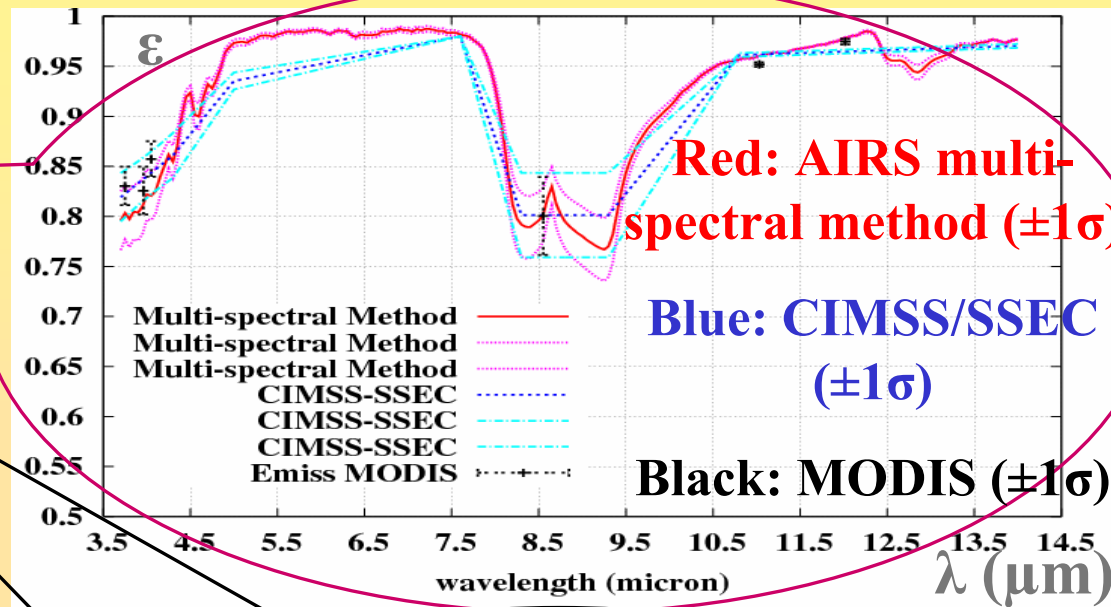
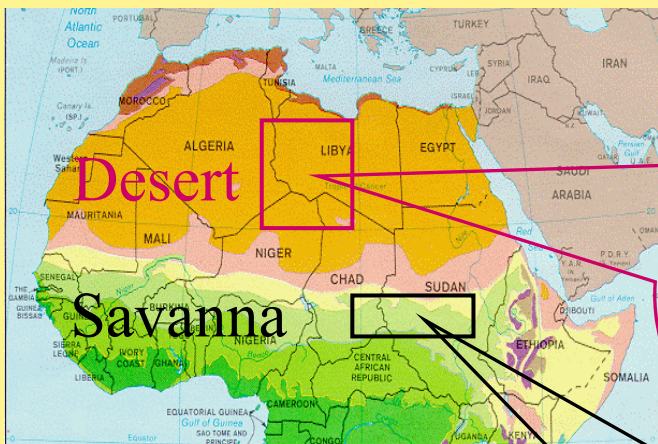
( $N_{\text{ref}} = 207$  points)

III) Proximity recognition (mean square)

Samples with a distance between  $D_{\text{min}}$  and  $D_{\text{max}} = 1.4 * D_{\text{min}}$  are selected and their emissivity spectrum averaged.

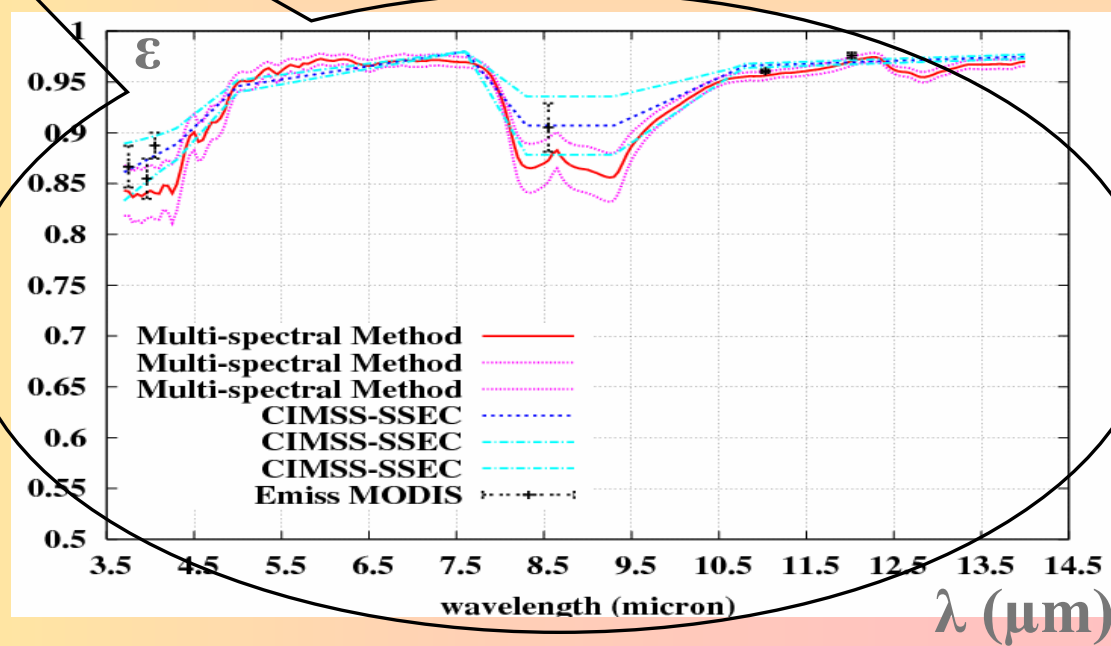


# Emissivity Spectral variations (1)



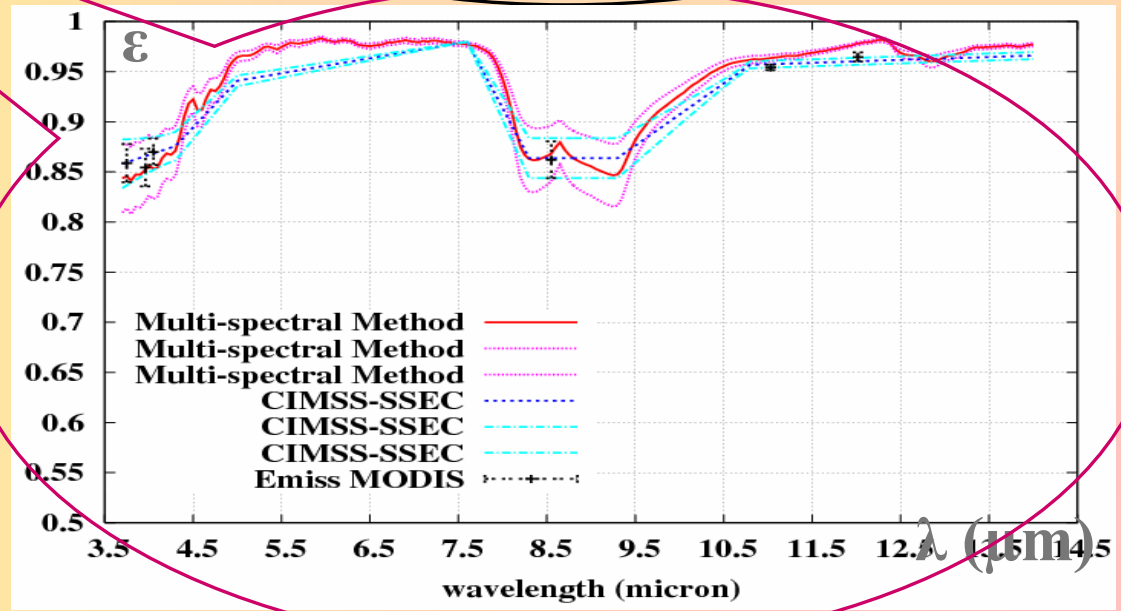
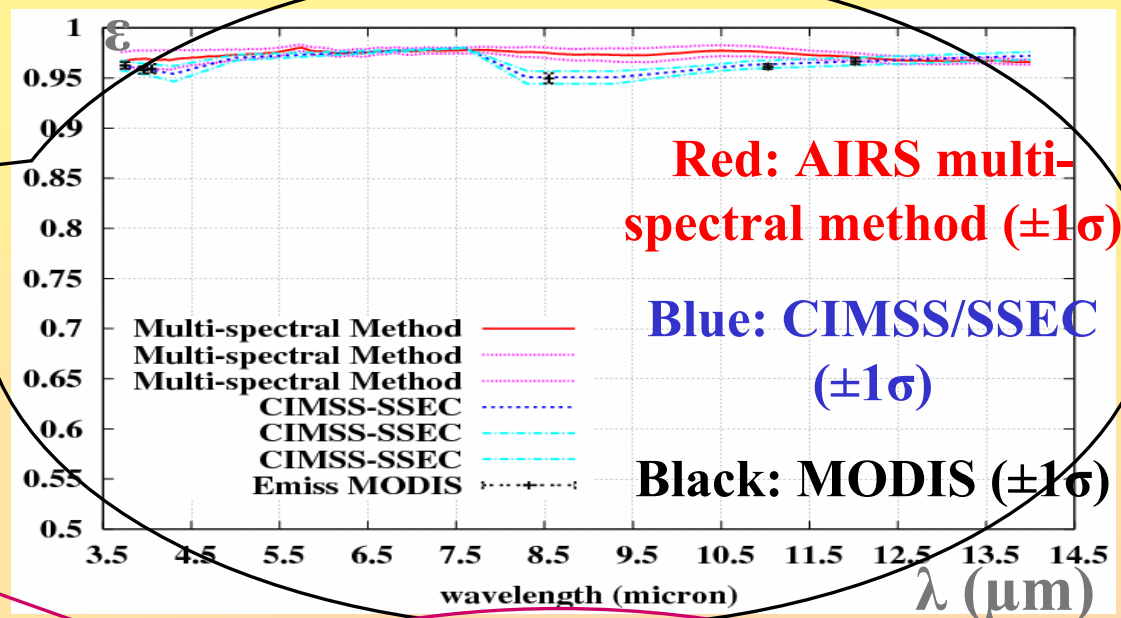
- Quartz reststrahlen bands are well observed and dominate the  $\epsilon$  spectra

- In quartz reststrahlen bands  $\epsilon$  increases with the % of vegetation.  
(Example of Savannas)



LMD : 25 to 40  $\lambda_{ref}$  (AIRS)  
CMISS : 6  $\lambda_{ref}$  (MODIS)

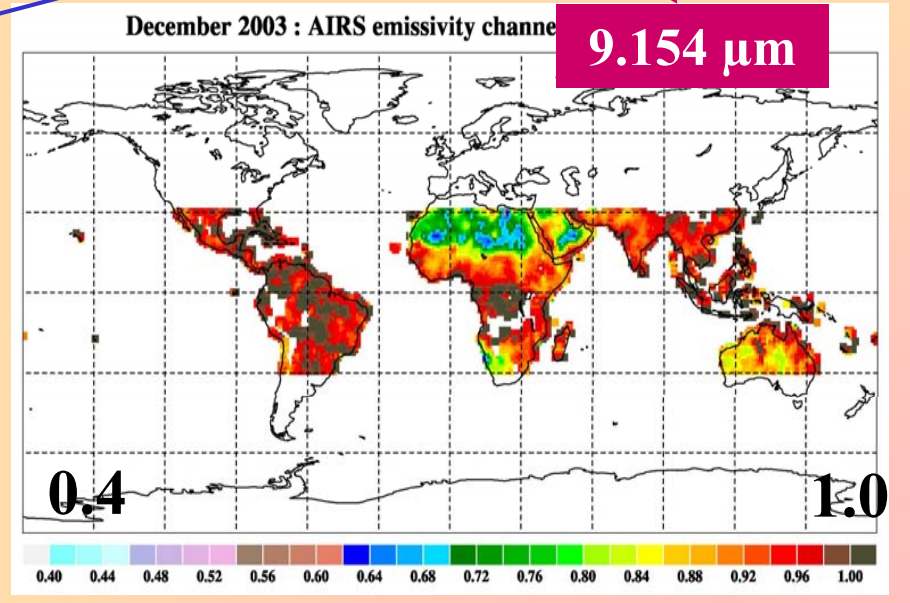
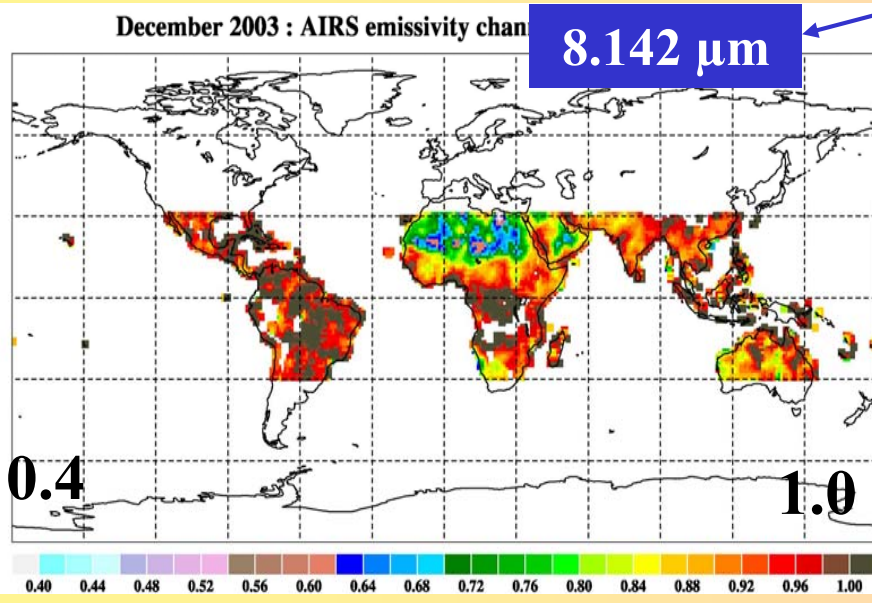
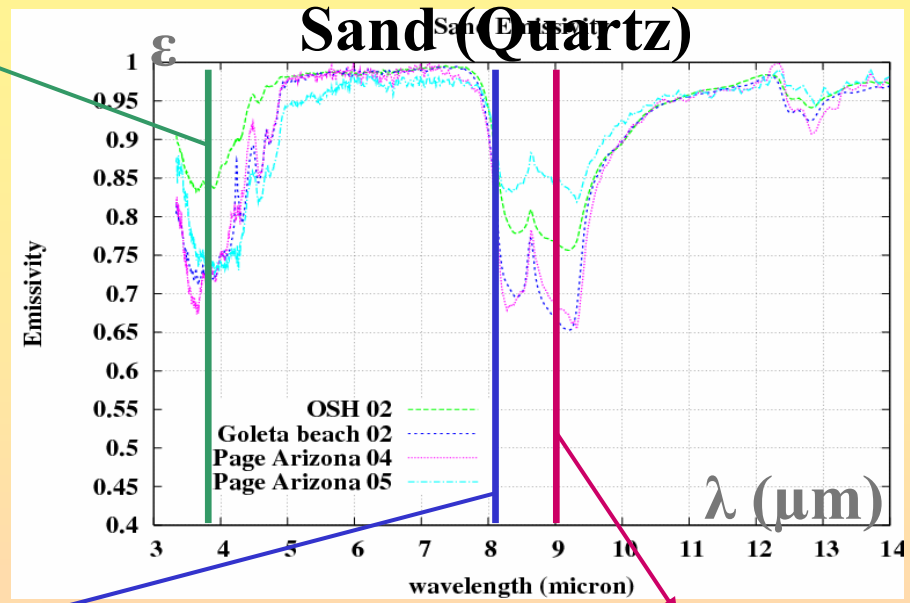
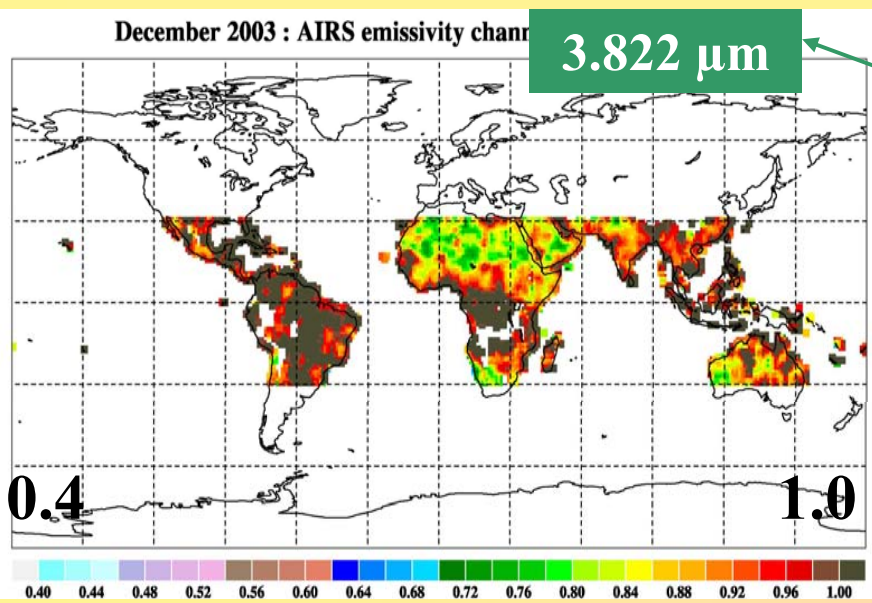
# Emissivity Spectral variations (2)



Tropical forest emissivity close to 1 (as expected)

For semi-desert areas emissivity still influenced by quartz reststrahlen bands

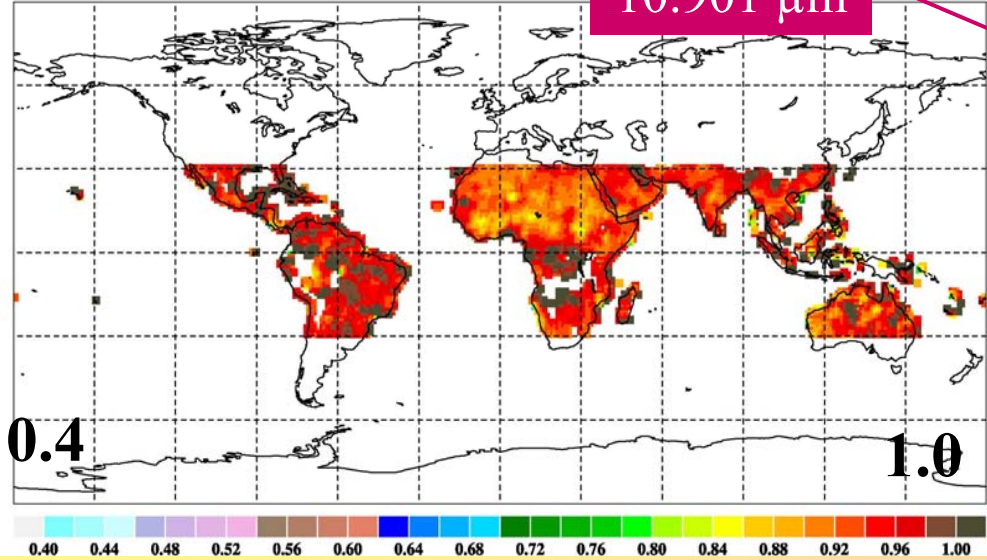
# Emissivity Regional Variations (1)



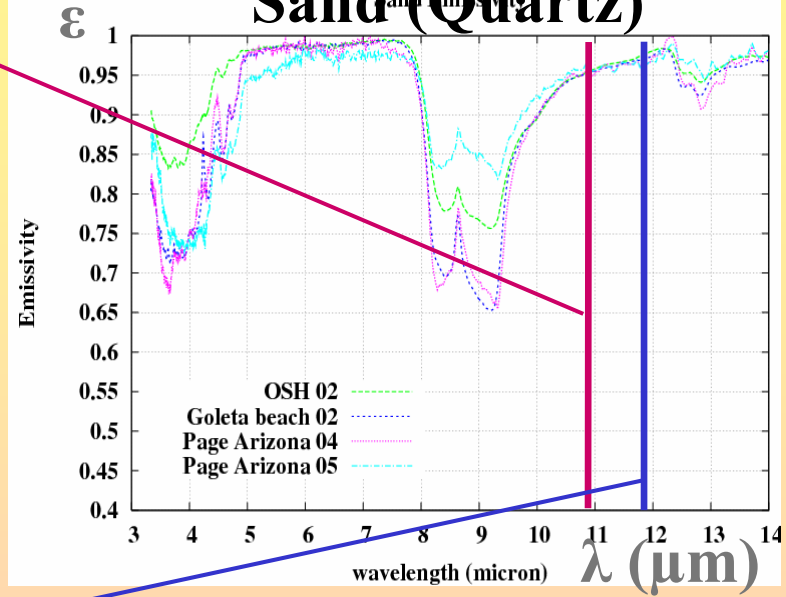
# Emissivity Regional Variations (2)

December 2003 : AIRS emissivity channel

10.901  $\mu\text{m}$

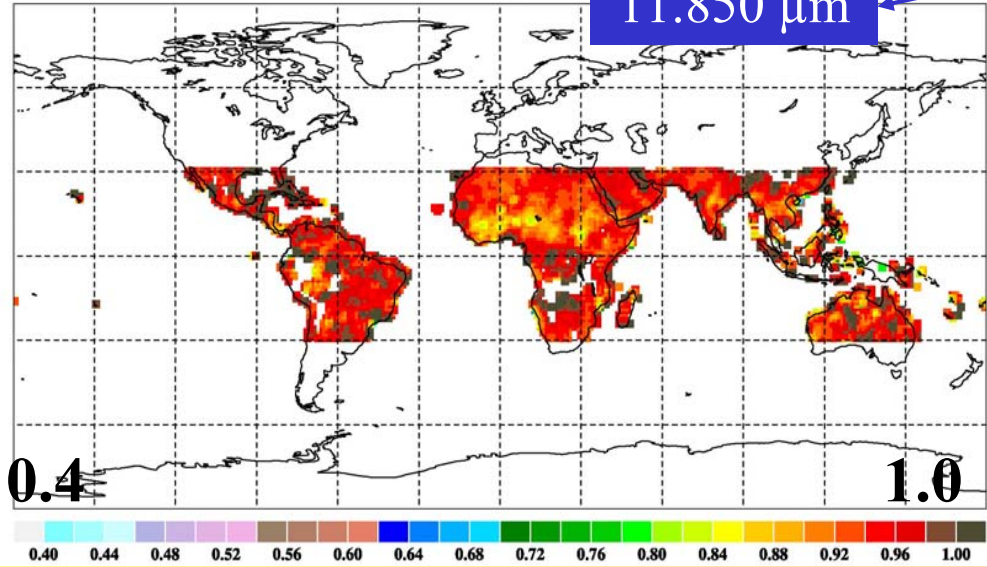


## Sand (Quartz)

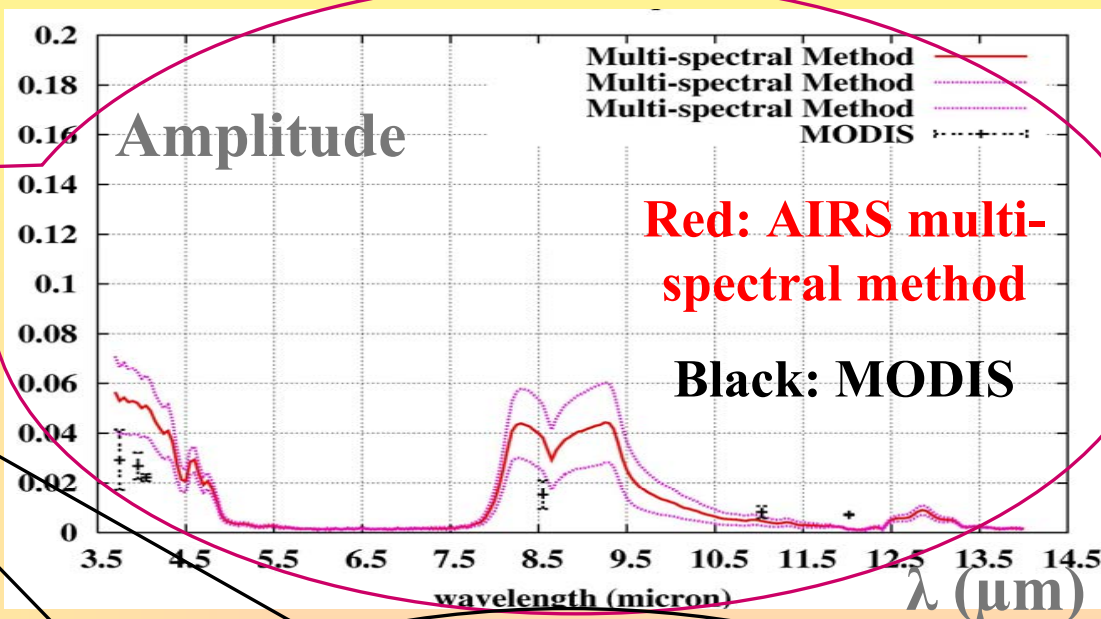
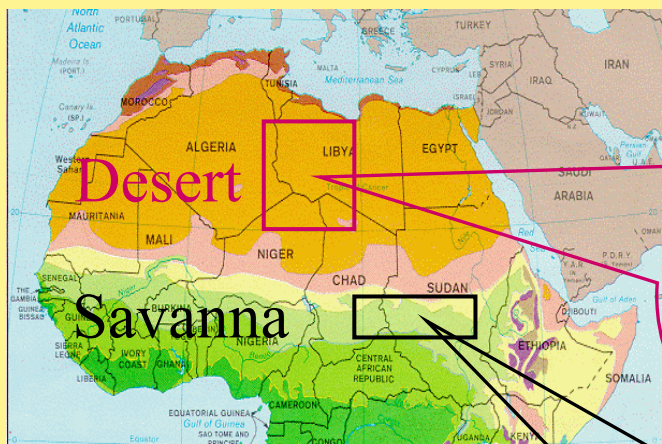


December 2003 : AIRS emissivity channel

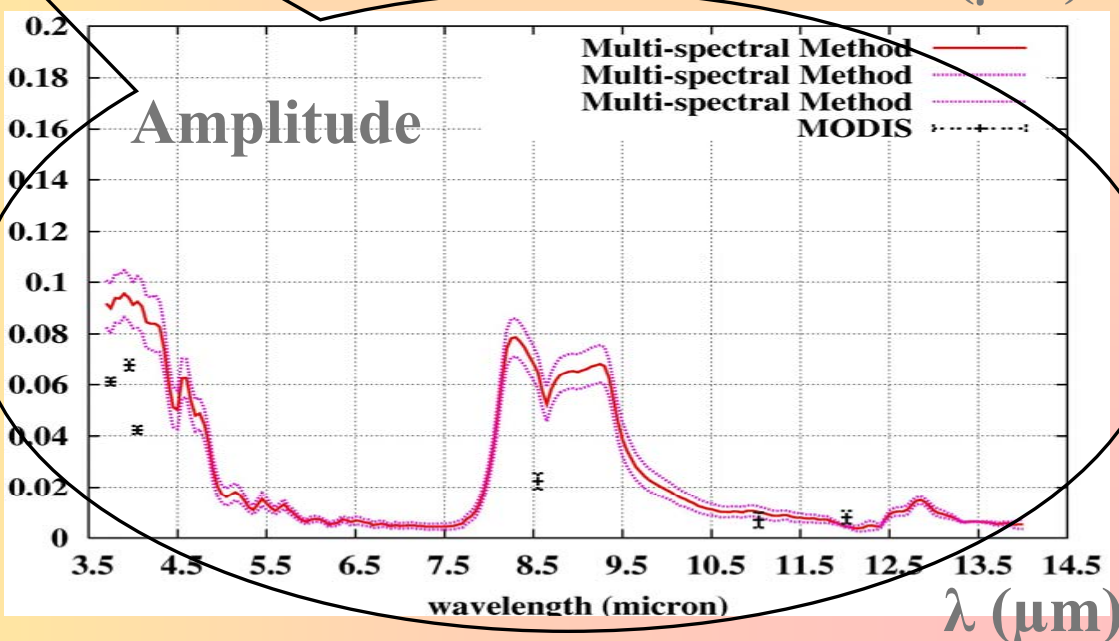
11.850  $\mu\text{m}$



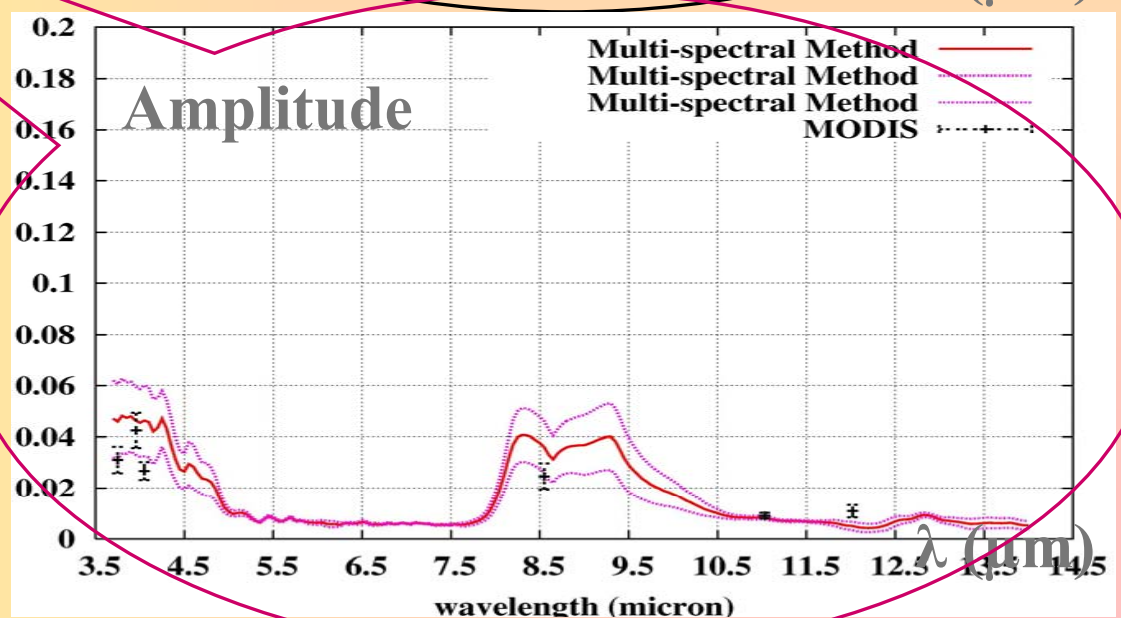
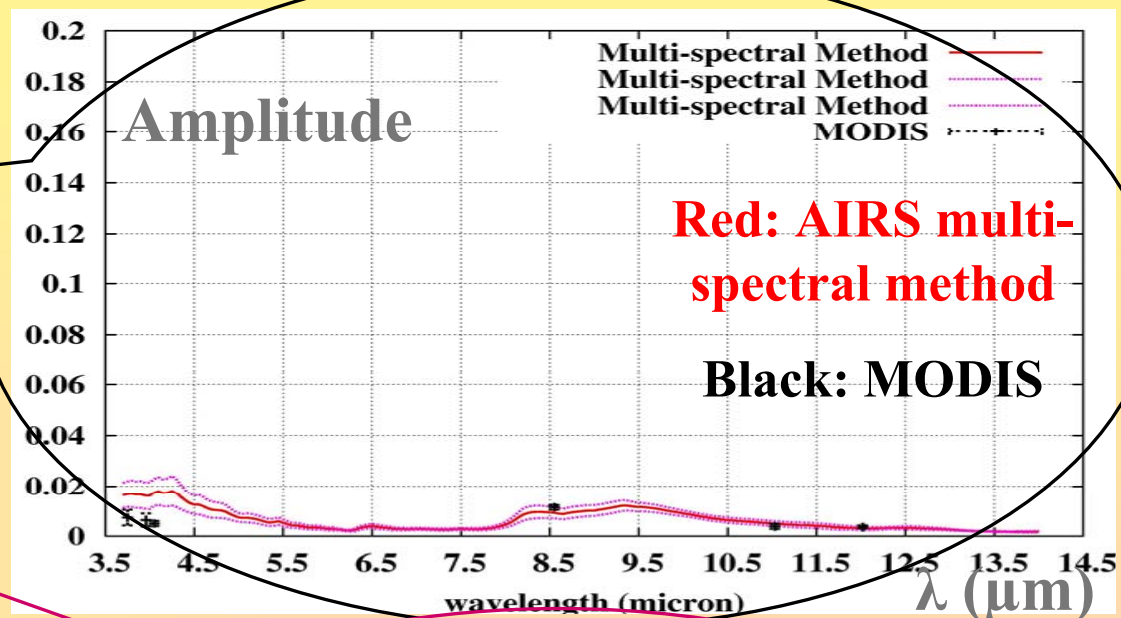
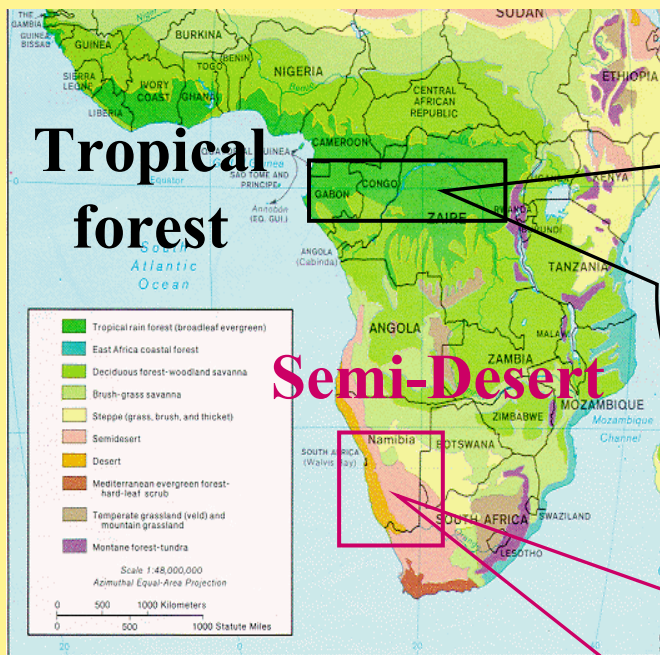
# Emissivity Seasonal variations (1)



Sparsely vegetated area emissivity responds to the rate of precipitation and the % of vegetation  
 => High emissivity seasonal cycle amplitude  
 (For more details see Péquignot et al, submitted)

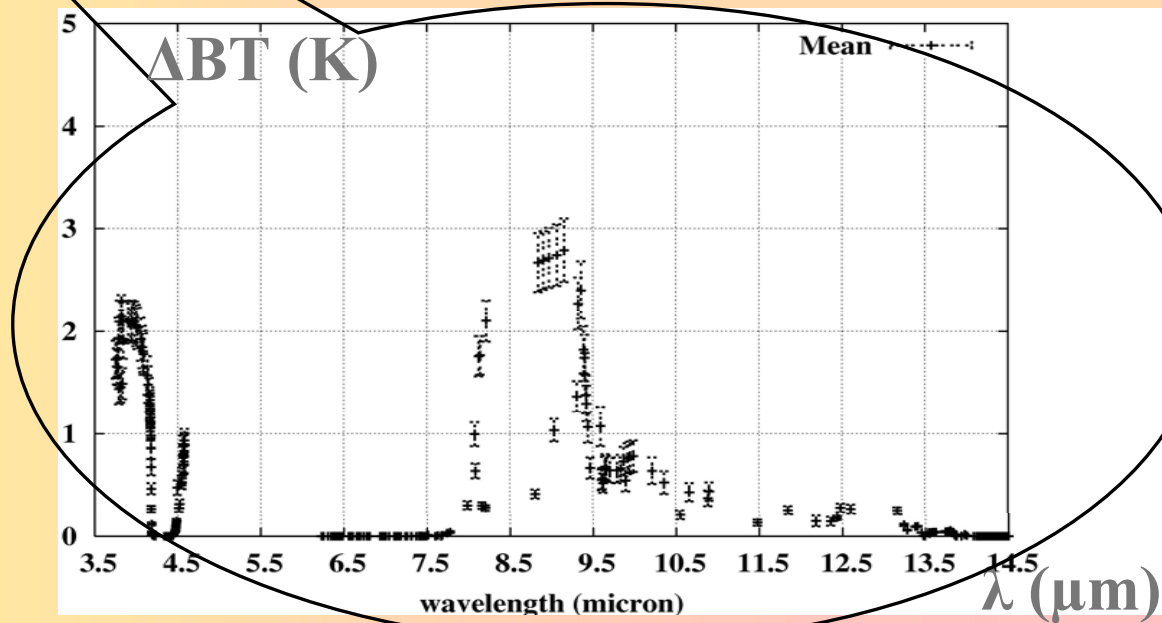
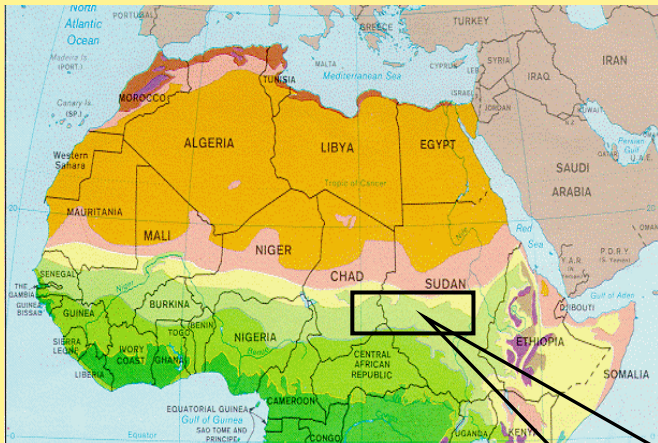


# Emissivity Seasonal variations (2)



# 5.7 Multi-spectral method results

## Impact of the emissivity seasonal cycle on AIRS BT



# Conclusions

- 1) Emissivity multi-spectral method works well and is adapted to instrument with high spectral resolution.
- 2) Difficulty to go further with comparisons because we lack retrieved emissivity databases at very high spectral resolution.
- 3) Such emissivity spectra and surface skin temperature 3 years climatology of tropical zone ( $30^{\circ}\text{S}$ - $30^{\circ}\text{N}$ ) should help improving models of the earth surface-atmosphere interaction and the retrieval of meteorological profiles and cloud characteristics (in particular semi transparent cirrus) from infrared vertical sounders.
- 4) Easy to implement the Multi-Spectral Method in assimilation process of data from hyperspectral sensors (AIRS/IASI).
- 5) With IASI (spectral continuity) we can probably skip the proximity recognition within MODIS/UCSB and ASTER/JPL emissivity libraries.